

Diagnosics using electrodeless lamps

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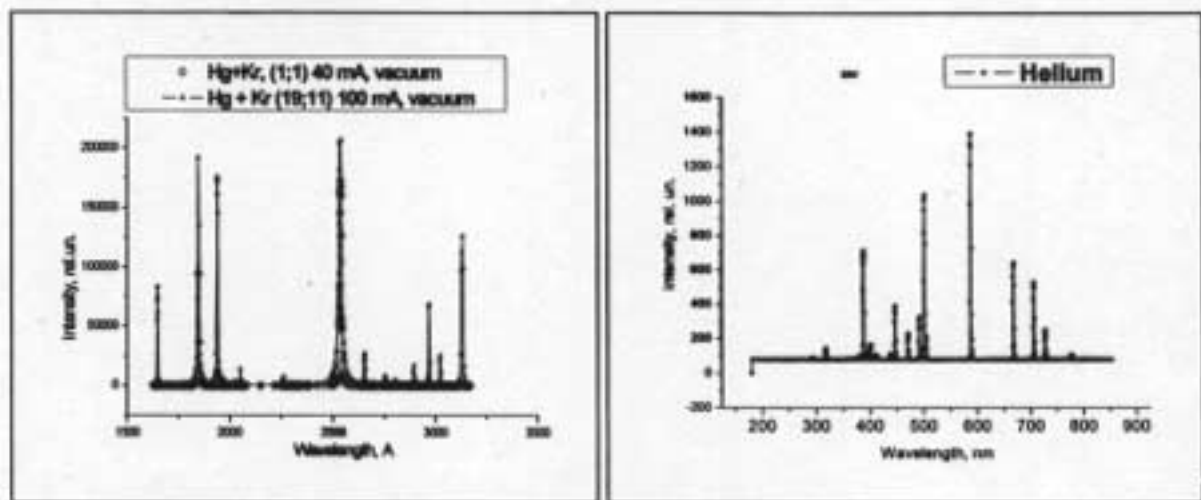
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Electrodeless lamps:

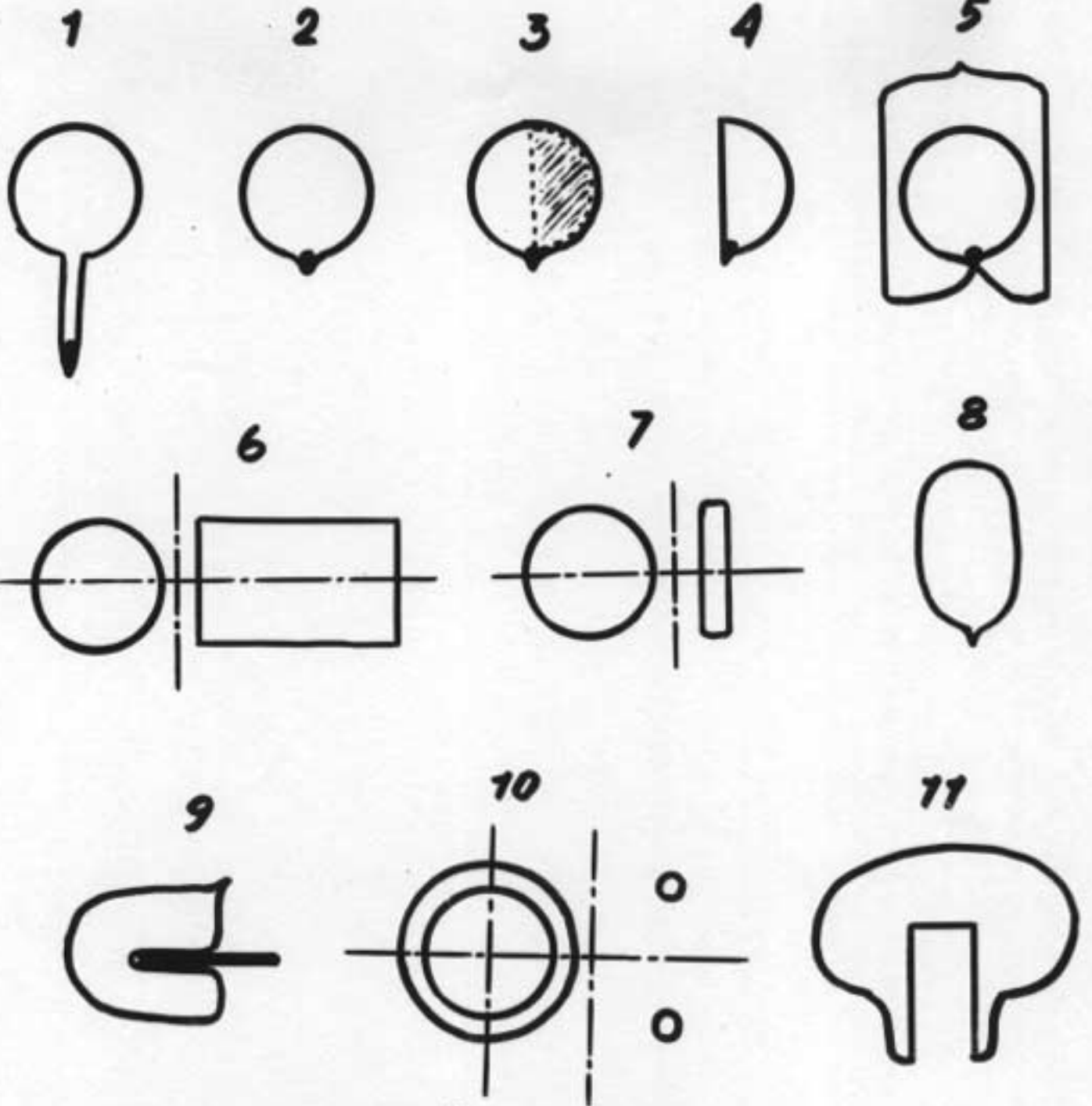
- Bright radiators in the broad spectral range (VUV - IR);



- Filled with a metal vapor and buffer gas;
- No electrodes – long working life;
- Inductive coupled/ capacitance coupled;
- HF Electromagnetic field excitation;
- Different designs and types in dependence on application

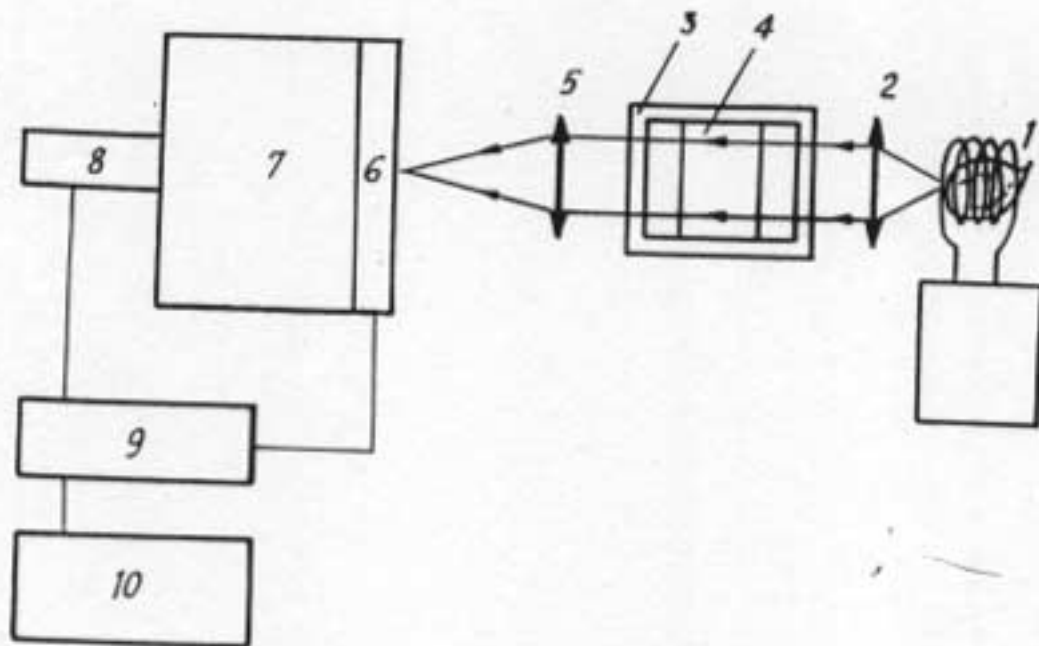
Our experience and technology:

- Lamps containing such elements as *Sn, Cd, Hg, Zn, Pb, As, Sb, Bi, Fe, Tl, In, Se, Te, Rb, Cs, I₂, H₂, He, Ne, Ar, Kr, Xe* as well as combined *Hg-Cd, Hg-Zn, Hg-Cd-Zn, Se-Te etc*

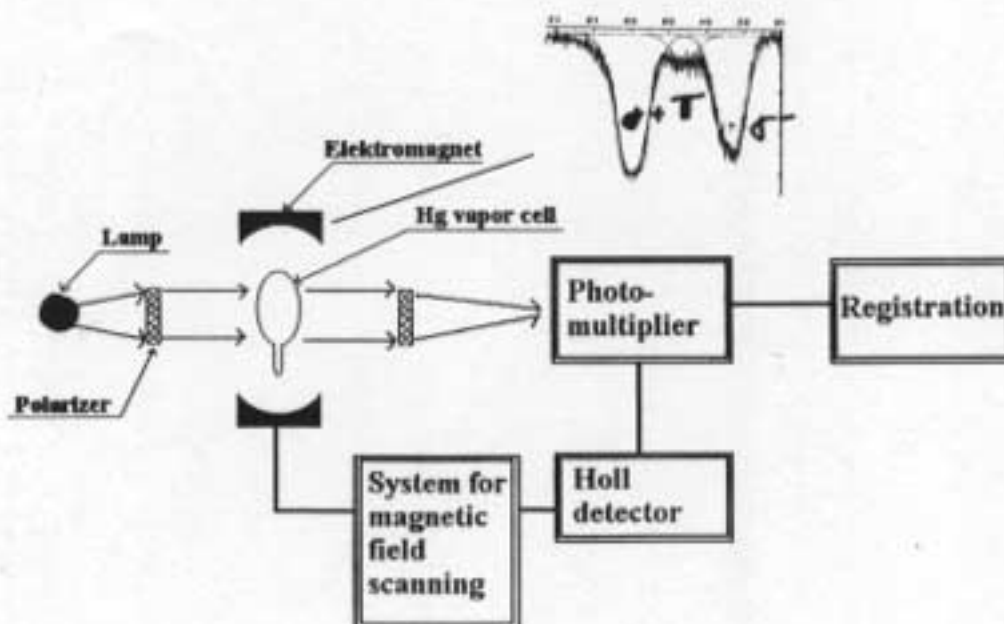


He, H₂, Cd, Zn, Se, Te, Hg, Ar
 Pb, Rb, Cs, Tl, Na, K, Ne, Xe, Kr
 Sn, Cr, Fe, Ni, Bi, Au, F₂

Scanning Fabry-Perrot interferometer



Zeeman spectrometer



Theoretical model

Observed spectral line profile: $f(x) = \int_{-\infty}^{\infty} f''(x-y)f'(y)dy + \xi(x)$, where $f''(x)$ - real profile, $f'(y)$ - instrumental function, $\xi(x)$ - function characterising random errors.

1) $G(\nu - \nu_0) = I_0 \exp \left[-4 \ln 2 \left(\frac{\nu - \nu_0}{\Delta \nu_G} \right)^2 \right]$; Gaussian shape

$$\Delta \nu_G = 7,16 \cdot 10^{-7} \frac{1}{\lambda} \sqrt{\frac{T}{\mu}}$$

2) $L(\nu - \nu_0) = \frac{\Delta \nu_L / \pi}{4(\nu - \nu_0)^2 + \Delta \nu_L^2}$ $\Delta \nu_L = \Delta \nu_{nat} + \Delta \nu_{coll} + \Delta \nu_{res}$ Lorentzian shape

3) $V(a, \omega) = \frac{a}{\pi} \int_{-\infty}^{\infty} \frac{\exp(-y^2) dy}{a^2 + (\omega - y)^2}$, where $a = \frac{\Delta \nu_L}{\Delta \nu_G} \sqrt{\ln 2}$, $\omega = \frac{2(\nu - \nu_0) \cdot \sqrt{\ln 2}}{\Delta \nu_G}$

$$y = (\nu - \nu') \sqrt{\frac{\ln 2}{\Delta \nu_G}}$$

Voigt profile

4) self-absorption , $\bar{n}_e(r) = \frac{n}{2} \bar{n}_e(r) \left[\int_{|x|}^{\infty} \bar{n}_e(x) dx \right]^{n-1}$; $\bar{n}_e(r) = \frac{n_e(r)}{N_e}$; $\bar{n}_e = \frac{n_e(r)}{N_e}$; $E(y) = \frac{\bar{n}_e(r)}{\bar{n}_e(r)}$

$$E(y) = \begin{cases} \frac{n}{2} y^{n-1}, & 0 < y < 1 \\ \frac{n}{2} (2-y)^{n-1}, & 1 < y < 2 \end{cases} \quad \text{- Excitation function, } y = \int_{|x|}^{\infty} \bar{n}_e(x) dx \text{ - relative number of atoms capable of}$$

absorbing the line present per unit cross-section between the point under consideration and the outside of the source

$$I(\omega) = I_0 P(\omega) e^{-\mu} \sum_{j=0}^n \frac{n! \mu^{2j}}{(2j+n)!} ; \quad \mu = k_0 l \cdot \frac{P(\omega)}{P(0)} , \quad n \in \mathbb{Z} , \quad P(\omega) = V(\omega \text{ by } a = \text{const}, k_0 l \text{ - optical density})$$

$$I(\omega) = \frac{I_0 P(\omega)}{2k_0 l} \left\{ 1 - \exp \left(-k_0 l \frac{P(\omega)}{P(0)} \right) \right\} , \quad \text{if } n=1 \text{ homogenous radiation source}$$

$$I(\omega) = I_0 P(\omega) \exp \left\{ -k_0 l \frac{P(\omega)}{P(0)} \right\} , \quad \text{if } n \rightarrow \infty \text{ completely inhomogenous radiation source}$$

5) Manifold of HFS components having intensities I_1, I_2, \dots, I_k

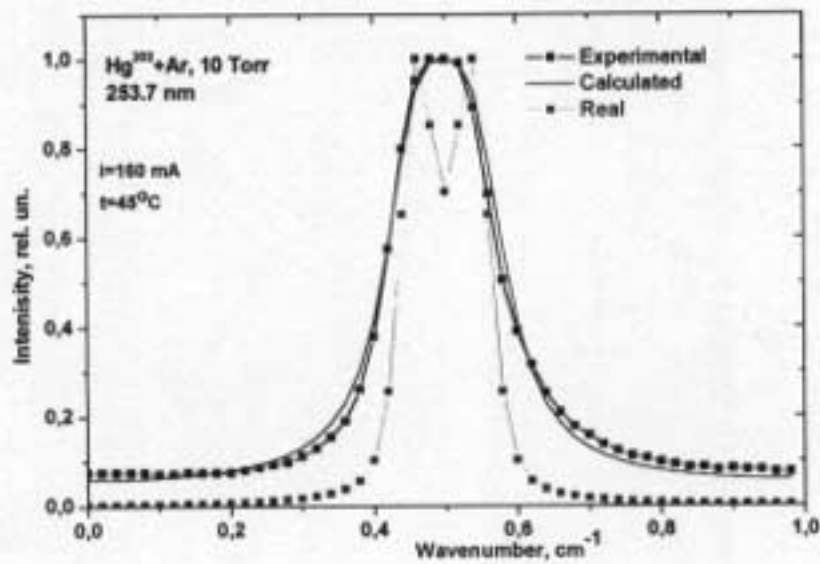
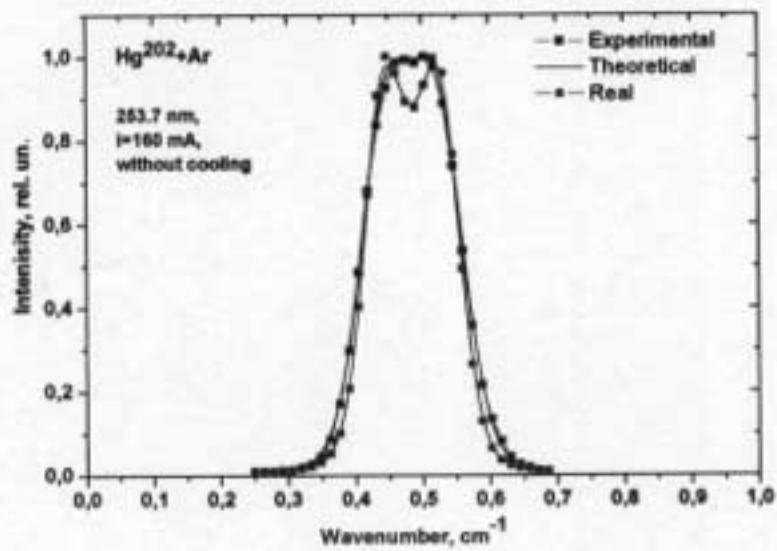
6) Instrument function a) $I = I_0 \frac{1}{1 + \frac{4R}{(1-R)^2} \cdot \sin^2 \frac{\delta}{2}}$, $\delta = 2\pi \frac{\Delta}{\lambda}$, Δ - opt. diff. of interfering rays

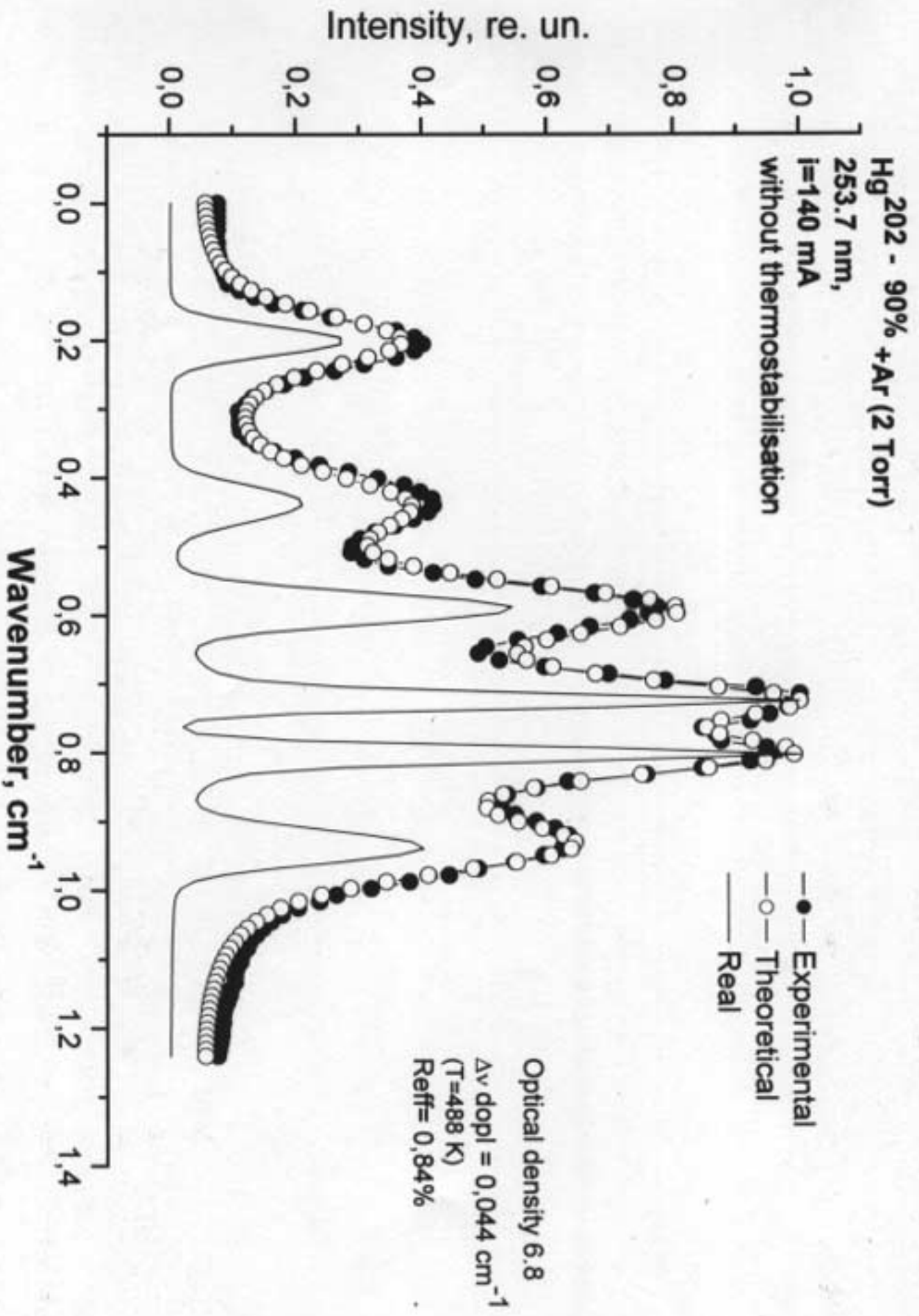
b) Gaussian for Zeeman spectrometer c) numerical or other...

7) Generation of random errors $\xi(x)$.

8) Fitting using $\chi^2 = \sum_{i=1}^n \frac{1}{\sigma^2} (y_i - f(x_i))^2$ y_i - experimental, $f(x_i)$ - theoretical data

9) $\Delta \nu_G, \Delta \nu_L, k_0 l, n, R \rightarrow \Delta \nu_{inst}$
intensities and shifts





Example

Hg 202 – 99.8 % ; 253.7 nm line, with Hg vapor pressure control

